

THE AMERICAN DREAM AND THE UNTOLD STORY OF THE BLACK WOMEN MATHEMATICIANS WHO HELPED WIN THE SPACE RACE

HIDDEN FIGURES

Book and homework on your desk.

You will have 10 minutes to read HF.

MARGOT LEE SHETTERLY



Announcements

Exponents tests returned soon

HF through Chapter 6 must be completed by Monday

Test Wednesday, 2/20

Homework Check

Unit Map

Thursday, $2/7/2019 \rightarrow$ Transformations of functions Friday, 2/8/2019 → Ms. Barger Absent, Hidden Figures reading and work Monday, 2/11/2019 → Exponential Growth and Decay Tuesday, $2/12/2019 \rightarrow$ Compound Interest and Half Life Wednesday, $2/13/2019 \rightarrow$ Transformations of Exponentials Thursday, $2/14/2019 \rightarrow$ Scientific Notation converting back and forth Friday, $2/15/2019 \rightarrow$ Scientific Notation adding and subtracting & multiplying and dividing Monday, $2/18/2019 \rightarrow$ Scientific Notation word problems Tuesday, $2/19/2019 \rightarrow \text{Review}$

Wednesday, $2/20/2019 \rightarrow$ Exponents Test 2

After yesterday, you should be able to answer...

If a student deposits \$1500 in the bank and earns an annual interest rate of 8% how much will he have after 15 years?

The population of Barnardsville in 2014 was estimated to be 24,000 people with an annual rate of increase of about 2.4%. Write a function what would give you the estimated total population, y, of Barnardsville.



https://quizlet.com/_642L9y

Compound Interest and Half Life

2/12/2019

Exponential Growth and Decay Formulas

Foldable!

$$\frac{Expanding and anount}{y = ab^{\times} \text{ where } b > 1} \quad \text{``initial amount'} \quad \frac{Exponential Decay}{y = ab^{\times} \text{ where } 0 < b < 1}$$

$$\frac{Identify as growth or decay:}{E \times 1} \quad y = 2(\frac{1}{2})^{\times} \quad E \times 3) \quad y = \frac{1}{4}(.75)^{\times} \quad E \times 3) \quad y = 4(\frac{5}{2})^{\times}$$

$$\frac{1}{2} - decay \text{ factor} \quad .75 - decay \text{ factor} \quad .50'. - rate of decay \quad .50'$$

Compound Interest \Rightarrow A = P(1+r/n)^{nt}

- A Amount at time t
- P Principal amount invested
- n Number of times per year interest is compounded
- r Annual interest rate (written as a decimal)
- t Time in years

Compound Interest \Rightarrow A = P(1+r/n)^{nt}

15. \$4000 principal earning 6% compounded annually, after 5 yr

Compound Interest \Rightarrow **A** = **P**(1+r/n)^{nt}

Example 1: Suppose that when your friend was born, your friend's parents deposited \$200 in an account paying 4.5% interest compounded quarterly. What will the account balance be after 18 yr?

Half-Life \Rightarrow A = A₀(¹/₂)^{t/h}

- A Amount at time t
- A₀ Initial Amount
- h Half-life
- t Time

Half-Life \Rightarrow A = A₀(¹/₂)^{t/h}

a. lodine-131 is used to destroy thyroid tissue in the treatment of an overactive thyroid. The half-life of iodine-131 is 8 days. If a hospital receives a shipment of 200 g of iodine-131, how much I-131 would remain after 32 days?

Half-Life \Rightarrow A = A₀(¹/₂)^{t/h}

b. Technetium-99 is used for brain scans. If a laboratory receives a shipment of 200 g of this isotope, how much will remain after 24 hours. The half life of Technetium-99 is 6 hours.

Homework

Textbook page 459 # 18-22

Additionally answer these three questions:

1) Fluorine-21 has a half life of approximately 5 seconds. How much would remain after 1 minute if you started with 100 grams?

2) Iodine-131 has a half life of 8 days. How much would remain at the end of 32 days if you started with 4000 grams?

3) The half-life of chromium-51 is 28 days. If the sample contained 510 grams, how much chromium would remain after 56 days? How much would remain after 1 year? How much was present 168 days ago?